## ALGORITHMS AND FLOWCHARTS

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- A typical programming task can be divided into two phases:
- Problem solving phase
$\square$ produce an ordered sequence of steps that describe solution of problem
$\square$ this sequence of steps is called an algorithm
- Implementation phase
$\square$ implement the program in some programming language


## Steps in Problem Solving

- First produce a general algorithm (one can use pseudocode)
- Refine the algorithm successively to get step by step detailed algorithm that is very close to a computer language.
- Pseudocode is an artificial and informal language that helps programmers develop algorithms. Pseudocode is very similar to everyday English.


## Pseudocode \& Algorithm

- Example 1: Write an algorithm to determine a student's final grade and indicate whether it is passing or failing. The final grade is calculated as the average of four marks.


## Pseudocode \& Algorithm

## Pseudocode:

- Input a set of 4 marks
- Calculate their average by summing and dividing by 4
- if average is below 50

Print "FAIL"
else
Print "PASS"

## Pseudocode \& Algorithm

- Detailed Algorithm

Step 1:
Input M1,M2,M3,M4
Step 2:
GRADE $\leftarrow(\mathrm{M} 1+\mathrm{M} 2+\mathrm{M} 3+\mathrm{M} 4) / 4$
Step 3: if (GRADE < 50) then Print "FAIL"
else
Print "PASS"
endif

## The Flowchart

- (Dictionary) A schematic representation of a sequence of operations, as in a manufacturing process or computer program.
- (Technical) A graphical representation of the sequence of operations in an information system or program. Information system flowcharts show how data flows from source documents through the computer to final distribution to users. Program flowcharts show the sequence of instructions in a single program or subroutine. Different symbols are used to draw each type of flowchart.


## The Flowchart

A Flowchart
$\square$ shows logic of an algorithm
$\square$ emphasizes individual steps and their interconnections
$\square$ e.g. control flow from one action to the next

## Flowchart Symbols

## Basic



## Use in Flowchart

Denotes the beginning or end of the program

Denotes an input operation

Denotes a process to be carried out e.g. addition, subtraction, division etc.

Denotes a decision (or branch) to be made. The program should continue along one of two routes. (e.g. IF/THEN/ELSE)

Denotes an output operation

Denotes the direction of logic flow in the program

## Example



## Example 2

- Write an algorithm and draw a flowchart to convert the length in feet to centimeter. Pseudocode:
- Input the length in feet (Lft)
- Calculate the length in cm (Lcm) by multiplying LFT with 30
- Print length in cm (LCM)


## Example 2

Flowchart

## Algorithm <br> - Step 1: Input Lft <br> - Step 2: Lcm $\leftarrow$ Lft x 30 <br> - Step 3: Print Lcm



## Example 3

Write an algorithm and draw a flowchart that will read the two sides of a rectangle and calculate its area. Pseudocode

- Input the width (W) and Length (L) of a rectangle - Calculate the area (A) by multiplying $L$ with $W$ - Print $A$


## Example 3

## Algorithm

- Step 1: Input W,L
- Step 2: $A \leftarrow L \times$ W
- Step 3: Print A



## Example 4

- Write an algorithm and draw a flowchart that will calculate the roots of a quadratic equation $a x^{2}+b x+c=0$
- Hint: $\mathbf{d}=\operatorname{sqrt}\left(b^{2}-4 a c\right)$, and the roots are:

$$
x 1=(-b+d) / 2 a \text { and } x 2=(-b-d) / 2 a
$$

## Example 4

## Pseudocode:

- Input the coefficients ( $a, b, c$ ) of the quadratic equation
- Calculate d
- Calculate x1
- Calculate $\mathbf{x} 2$
- Print x 1 and x 2


## Example 4

## - Algorithm:

- Step 1: Input a, b, c
- Step 2: $d \leftarrow \operatorname{sqrt}(b \times b-4 \times a \times c)$
- Step 3: $\quad x \leftarrow(-b+d) /(2 \times a)$
- Step 4: $\quad x 2 \leftarrow(-b-d) /(2 \times a)$
- Step 5: Print $x 1, x 2$



## DECISION STRUCTURES

- The expression $A>B$ is a logical expression
- it describes a condition we want to test
- if $A>B$ is true (if $A$ is greater than $B$ ) we take the action on left
- print the value of $A$
- if $A>B$ is false (if $A$ is not greater than $B$ ) we take the action on right
- print the value of $B$


## DECISION STRUCTURES



## IF-THEN-ELSE STRUCTURE

- The structure is as follows

If condition then
true alternative
else
false alternative
endif

## IF-THEN-ELSE STRUCTURE

- The algorithm for the flowchart is as follows:
If $A>B$ then
print $A$
else
print B
endif



## Relational Operators

Relational Operators

| Operator | Description |
| :---: | :--- |
| $>$ | Greater than |
| $<$ | Less than |
| $=$ | Equal to |
| $\geq$ | Greater than or equal to |
| $\leq$ | Less than or equal to |
| $\neq$ | Not equal to |

## Example 6

- Write an algorithm that reads two values, determines the largest value and prints the largest value with an identifying message.
ALGORITHM
Step 1:
Input VALUE1, VALUE2
Step 2: if (VALUE1 > VALUE2) then MAX $\leftarrow$ VALUE1
else
MAX $\leftarrow$ VALUE2
endif
Step 3: Print "The largest value is", MAX


## Example 6



## LOOPS

- Computers are particularly well suited to applications in which operations are repeated many times.
- If the same task is repeated over and over again a loop can be used to reduce program size and complexity

Example 7: Write an algorithm and draw a flowchart to calculate $2^{4}$.

- Algorithm:
- Step 1: Base $\leftarrow 2$
- Step 2: Product $\leftarrow$ Base
- Step 3: Product $\leftarrow$ Product * Base
- Step 4: Product $\leftarrow$ Product * Base
- Step 5: Product $\leftarrow$ Product * Base
- Step 6: Print Product


## Flowchart



■ Question: What happens if you want to calculate 2 to the power of 1000?

- Answer: Use a LOOP (repeated execution of the same set of instructions)


## Example 8:

- Write an algorithm and draw a flowchart to calculate $2^{4}$ using a loop approach? Verify your result by a trace table.


## Algorithm:

Step 1: $\quad$ Base $\leftarrow 2$
Step 2: Power $\leftarrow 4$
Step 3: Product $\leftarrow$ Base
Step 4: Counter $\leftarrow 1$
Step 5: While Counter < Power
Repeat Step 5 through step 7
Step 6: $\quad$ Product $\leftarrow$ Product * Base
Step 7: $\quad$ Counter $\leftarrow$ Counter +1
Step 8: Print Product


## TRACING



- Example 10: Write down an algorithm and draw a flowchart to find and print the largest of three numbers. Read numbers one by one. Verify your result by a trace table. (Use 5, 7, 3 as the numbers read)


## Algorithm

- Step 1: Input N1
- Step 2: $\quad$ Max $<\mathrm{N} 1$
- Step 3: InputN2
- Step 4: If (N2>Max) then
$\operatorname{Max}=\mathrm{N} 2$
endif
- Step 5: Input N3
- Step 6: If (N3>Max) then
$\mathrm{Max}=\mathrm{N} 3$
endif
- Step 7: Print "The largest number is:",Max


## Flowchart \& Tracing



- Example 11: Write down an algorithm and draw a flowchart to find and print the largest of $N$ ( N can be any number) numbers. Read numbers one by one. Verify your result by a trace table. (Assume N to be 5 and the following set to be the numbers $\{14268\}$ )


## Algorithm:

- Step 1:
- Step 2:
- Step 3:
- Step 4:
- Step 5:
- Step 6:
- Step 7:
- Step 8:

Input N
Input X
Max $\leftarrow$ Current
Counter $\leftarrow 1$
While (Counter < N)
Repeat steps 5 through 8
Counter $\leftarrow$ Counter + 1
Input X
If ( $\mathrm{X}>\mathrm{Max}$ ) then $\operatorname{Max} \leftarrow \mathrm{X}$
endif

- Step 9: Print Max


Tracing

|  | N | X | Max | Cou <br> nter | Count <br> er < N | Next $>$ <br> Max |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Step 1 | 5 | 1 |  |  |  |  |
| Step 2 | 5 | 1 |  |  |  |  |
| Step 3 | 5 | 1 | 1 |  |  |  |
| Step 4 | 5 | 1 | 1 | 1 | T |  |
| Step 5 | 5 | 1 | 1 | 1 | T |  |
| Step 6 | 5 | 1 | 1 | 2 | T |  |
| Step 7 | 5 | 4 | 1 | 2 | T |  |
| Step 8 | 5 | 4 | 4 | 2 | T | T |
| Step 5 | 5 | 4 | 4 | 2 | T | F |
| Step 6 | 5 | 4 | 4 | 3 | T | F |
| Step 7 | 5 | 2 | 4 | 3 | T | F |
| Step 8 | 5 | 2 | 4 | 3 | T | F |
| Step 5 | 5 | 2 | 4 | 3 | T | F |
| Step 6 | 5 | 2 | 4 | 4 | T | F |
| Step 7 | 5 | 6 | 4 | 4 | T | T |
| Step 8 | 5 | 6 | 6 | 4 | T | T |
| Step 5 | 5 | 6 | 6 | 4 | T | F |
| Step 6 | 5 | 6 | 6 | 5 | F | F |
| Step 7 | 5 | 8 | 6 | 5 | F | T |
| Step 8 | 5 | 8 | 8 | 5 | F | T |
| Step 5 | 5 | 8 | 8 | 5 | F | F |
| Step 9 |  |  | 8 |  |  |  |
|  |  |  | output |  |  |  |
|  |  |  |  |  |  |  |

How many times will steps 4,6 , and 7 be executed?

## Do Loops

- It is convenient to introduce a special type of loop that is headed by a special macroinstructions.
- This terminology comes from FORTRAN , although many programming languages have this type of loop.

- For example :

BASIC
DO K=1 to N
\{body of loop\}
END;

- FORTRAN

Do n K=1, N
\{body of loop\} n CONTIOUE

(a)

(b)

- Example : A company has 80 employees give a flowchart that
- finds the average salary and the number of employees earning above the average salary. Observe that the salaries are read into an array, SALARY. Next, the average salary, AVG, is calculated.
- Then each salary, SALARY $(\mathrm{K})$, is compared with AVG to obtain the number NUM of salaries grater than AVG.



## PROBLEMS

Prob. 1. Write an algorithm and draw a flowchart to print the square of all numbers from 1 to10.
Prob. 2. Write an algorithm and draw a flowchart to print the SUM of numbers from LOW to HIGH. Test with LOW=3 and $\mathrm{HIGH}=9$.

Prob. 3. Write an algorithm and draw a flowchart to print all numbers between LOW and HIGH that are divisible by NUMBER.

Prob. 4. Draw a flowchart for a program that reads 10 numbers from the user and prints out their sum, and their product.

Prob. 5. Write an algorithm and draw a flowchart to count and print all numbers from LOW to HIGH by steps of STEP. Test with LOW $=0$ and $\mathrm{HIGH}=100$ and STEP=5.

Prob. 6. Write an algorithm and draw a flowchart to print the multiplication table for 6 's. i.e.
---- $1 \times 6=6$
$---2 \times 6=12$
---- $12 \times 6=72$

Prob. 7. Write an algorithm and draw a flowchart that will find and print the product of 3 numbers.

Prob. 8. Write an algorithm and draw a flowchart that will find and print The factorial of NUMBER is FACTORIAL. Test the flowchart for NUMBER=5.

